

ТО ДНЯ

ОБНО

ОРМООТКРЫТАЯ ЧЕЛТИОНӨВЛҮНЕН
МЕДЦУ ЗОРОСТЫРЫЛЫМАДА

Общий балл	Дата	Ф.И.О. Игоря	Подпись
63			<i>Check</i>
Шифр	<i>64311</i>		

1. Comparison of Results

$$\text{Anton's Total Time : } T_A = \frac{55}{3v}.$$

$$\text{Boris Total Time : } T_B = \frac{35}{2v}.$$

Time Difference:

$$\Delta t = T_A - T_B = \frac{55}{3v} - \frac{35}{2v} = \frac{5}{6v}.$$

$$V = ?$$

Conclusion

~~→~~ Boris finishes the race first, with a time advantage of

$$\Delta t = \frac{5}{6v}.$$

Key Reason: Boris's ~~strategy~~ strategy optimizes acceleration and deceleration phases by allocating time durations. This efficiency allows Boris to achieve a shorter total time.

185.



ОРМО

ОТКРЫТАЯ РЕГИОНАЛЬНАЯ
ПОЛУЗОФСКАЯ ОЛИМПИАДА

Общая волна	Дата	ФИО Нюри	Подпись
Шифр			

2.

Equations of Motion

Left Ball (θ_1)

~~Position~~ Position as a function of time t :

$$\begin{cases} x_1(t) = v_0 \cos \theta_1 \cdot t, \\ y_1(t) = v_0 \sin \theta_1 \cdot t - \frac{1}{2} g t^2. \end{cases}$$

Right Ball (θ_2)

Position as a function of time t (thrown to the left):

$$\begin{cases} x_2(t) = S - v_0 \cos \theta_2 \cdot t, \\ y_2(t) = v_0 \sin \theta_2 \cdot t - \frac{1}{2} g t^2. \end{cases}$$

Conclusion

The minimum distance between the balls during their flight is:

$$D_{\min} = S \cdot \left| \sin \left(\frac{\theta_1 - \theta_2}{2} \right) \right|. \quad 105 -$$

3. The formula for the heat engine efficiency is:

$\eta = 1 - \frac{Q_{\text{released}}}{Q_{\text{absorbed}}}$, Among Q_{absorbed} is the heat absorbed by the gas in the process of circulation, Q_{released} is the heat released by the gas in the process of circulation.

For ideal monoatomic gases, the molar thermal melting of the TSOSD - Capacity process. $C_V = \frac{3}{2}R$, Molar hot melt in Isothermal process $C_P = \frac{5}{2}R$ (R is the universal gas constant).

In the (P-T) diagram, The straight line crossing the origin represents the equivarience process (by the ideal gas state equation $PV=nRT$, Deformed into $P = \frac{nR}{V}T$, The slope ~~V~~ remains unchanged, that is, the volume V remains unchanged).

$$\text{Process 1-2 } Q_{12} = nC_V \Delta T_{12}$$

$$\text{Process 2-3 } Q_{34} = nC_V \Delta T_{34}$$

$$\text{Process 4-1 } V = \frac{3}{2}nRT \quad \cancel{\text{circulate}} \quad \Delta V_{\text{circulate}} = 0$$

$$\Delta V = Q + W$$

$$Q_{\text{absorbed}} - Q_{\text{released}} = W_{\text{net}}$$

$$\eta = 1 - \frac{3nC_V T_0}{3nC_V T_0} \quad \text{is wrong. It should be } \eta = 1 - \frac{Q_{\text{released}}}{Q_{\text{absorbed}}} = 1 - \frac{3nC_V T_1}{5nC_V T_0} = 1 - 0.6 = 0.4$$

Convert

~~the efficiency~~ into a percentage, $\eta \times 100\% = 40\%$

So, the efficiency of the heat engine operating in this cycle is 40%.

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4. Let the side-length of the equilateral triangle be r . According to the electric potential formula of a point charge $\varphi = \frac{kq}{r}$, where $k = \frac{1}{4\pi\epsilon_0}$, q is the charge of the point charge, and r is the distance from the point charge.

From $\varphi = \frac{kq_1}{r}$, we can get $q_1 = \frac{\varphi_1 r}{k}$.

Similarly, $q_2 = \frac{\varphi_2 r}{k}$ and $q_3 = \frac{\varphi_3 r}{k}$.

$$F_1 = \sqrt{\left(\frac{\varphi_1 \varphi_2 r}{k}\right)^2 + \left(\frac{\varphi_1 \varphi_3 r}{k}\right)^2} + 2 \times \frac{\varphi_1 \varphi_2 r}{k} \times \frac{\varphi_1 \varphi_3 r}{k} \times \frac{1}{2}$$

$$F_1 = \frac{\varphi_1 r}{k} \sqrt{\varphi_2^2 + \varphi_3^2 + \varphi_2 \varphi_3}, \text{ where } k = \frac{1}{4\pi\epsilon_0 D}$$

So, the resultant force F_1 exerted by the second and third balls on the first ball is $F_1 = \frac{\varphi_1 r}{k} \sqrt{\varphi_2^2 + \varphi_3^2 + \varphi_2 \varphi_3}$

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5. First, calculate the initial density of the surrounding air

The partial pressure of water vapor in the initial state, P_{v1} , with a relative humidity $RH_1 = 10\% = 0.1$ and ~~saturated~~ - steam pressure $P_s = 9000 \text{ Pa}$ is $P_{v1} = RH_1 \times P_s = 0.1 \times 9000 \text{ Pa} =$

The density of water vapor $P_{v1} = \frac{P_{v1}M_v}{RT}$, where $M_v = \frac{900}{18 \times 10^{-3}} \text{ kg/mol}$

The initial density of the surrounding air $\rho_i = \rho_{\text{air}} + \rho_v \approx 1.09$
 $+ 0.006 = 1.096 \text{ kg/m}^3$.

Then, calculate the density of the surrounding air in the new state

The new density of the surrounding air $\bar{P}_2 = P_{a2} + P_{v2} \approx 1.01 + 0.055$

Next, analyze the buoyant-force and weight relationship.
 Substitute $\rho_1 = 1.096 \text{ kg/m}^3$, $\rho_2 = 1.065 \text{ kg/m}^3$, $g = 9.8 \text{ m/s}^2$, and into the formula.

$$W_{\text{dropped}} = (1.096 - 1.065) \times 9.8 \times 5000 \text{ N.}$$

$$W_{\text{dropped}} = 0.031 \times 9.8 \times 5000 \text{ N} \approx 1519 \text{ N.}$$